

Production - Firms & Markets

Firm - decision maker on output
& / or price

Objective of firm - maximize profit
↳ include - protection
of brand name
- environmental.

$$\text{Profits} = \pi$$

$$\pi = TR - TC$$

$$= AR \cdot Q - AC \cdot Q$$

$$= P \cdot Q - \underline{AC} \cdot Q$$

Cost → explicit costs - out of pocket expenses

Accounting Costs } Interest on loan
 Labor Inputs
 Rent
 Utilities

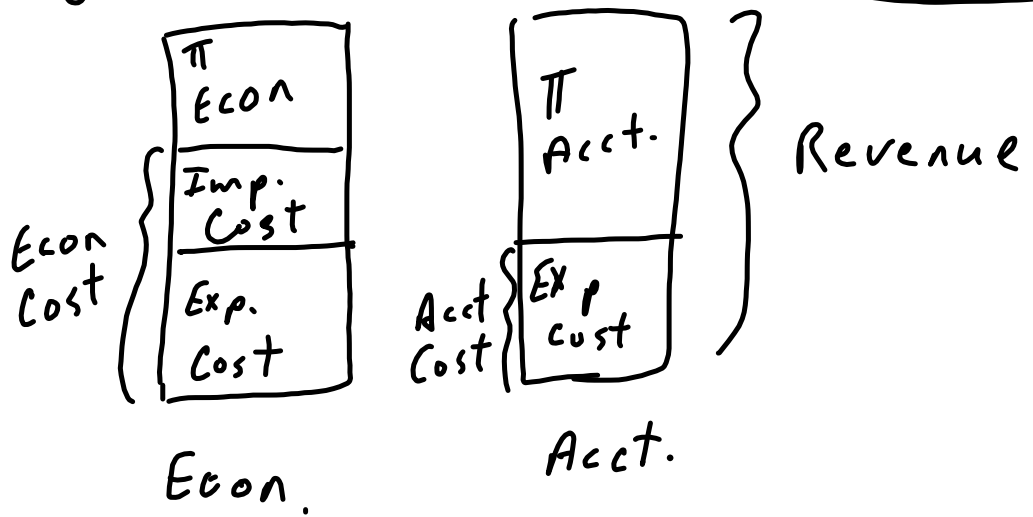
→ implicit cost - opportunity cost
 - capital - foregone interest
 - owner's time - foregone wage

Economic Costs > Accounting Costs

Sole proprietorship - opportunity cost

Fig 1. p 262

Q2 p 276



Production - goods - services } output

Recipe - production function

Inputs → Output

$$Q = Q(L, K) \quad \begin{array}{l} L - \text{labor} \\ K - \text{Capital} \end{array}$$

production
function

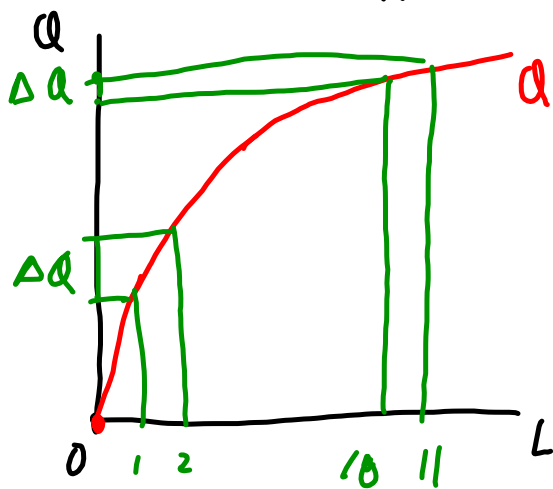
$$\left[\begin{array}{l} \frac{\partial Q}{\partial K} > 0 \\ \frac{\partial Q}{\partial L} > 0 \end{array} \right.$$

Short run \rightarrow only one input variable (change)

hold K fixed. vary L .

want $Q \uparrow$ $L \uparrow$ K unchanged.
 $Q \downarrow$ $L \downarrow$

$$Q = Q(L) |_{K^*}$$



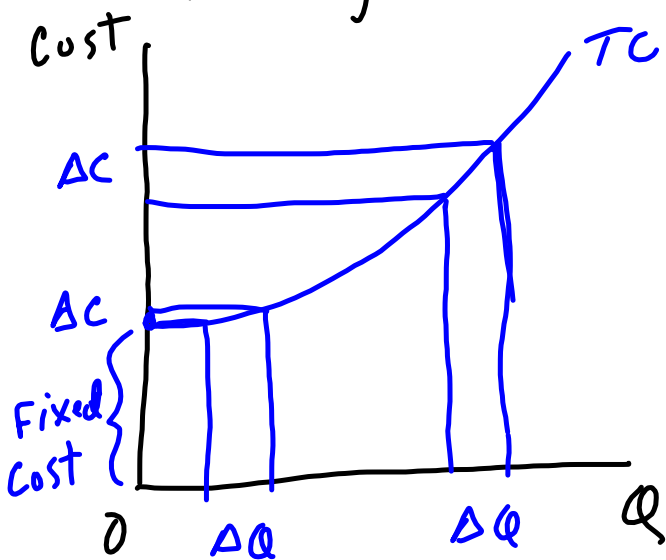
$L \uparrow \rightarrow Q \uparrow$
 K fixed & we keep adding labor

$$\frac{\Delta Q}{\Delta L} \text{ decline}$$

Diminishing marginal product of labor

If wage constant pay worker 11
same as paid 2.

If \downarrow marginal product of labor (MP_L)
falling & cost per worker constant



TC \uparrow increasing rate because diminishing MP_L
Marginal cost
 $\frac{\Delta TC}{\Delta Q} \uparrow$ as $Q \uparrow$

Table 1 p 263 - Q 3 & 4 p 276
 Table 3 p 274

Compare $P \cdot Q = TR$ to $TC (AC \cdot Q)$

$TR > TC \quad \pi > 0$ - necessary
 max π ? if not $\Delta Q \uparrow \downarrow$

